



Prof. Sobol' at a seminar on Monte Carlo methods, September 2001 in Salzburg.



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Ilya M. Sobol

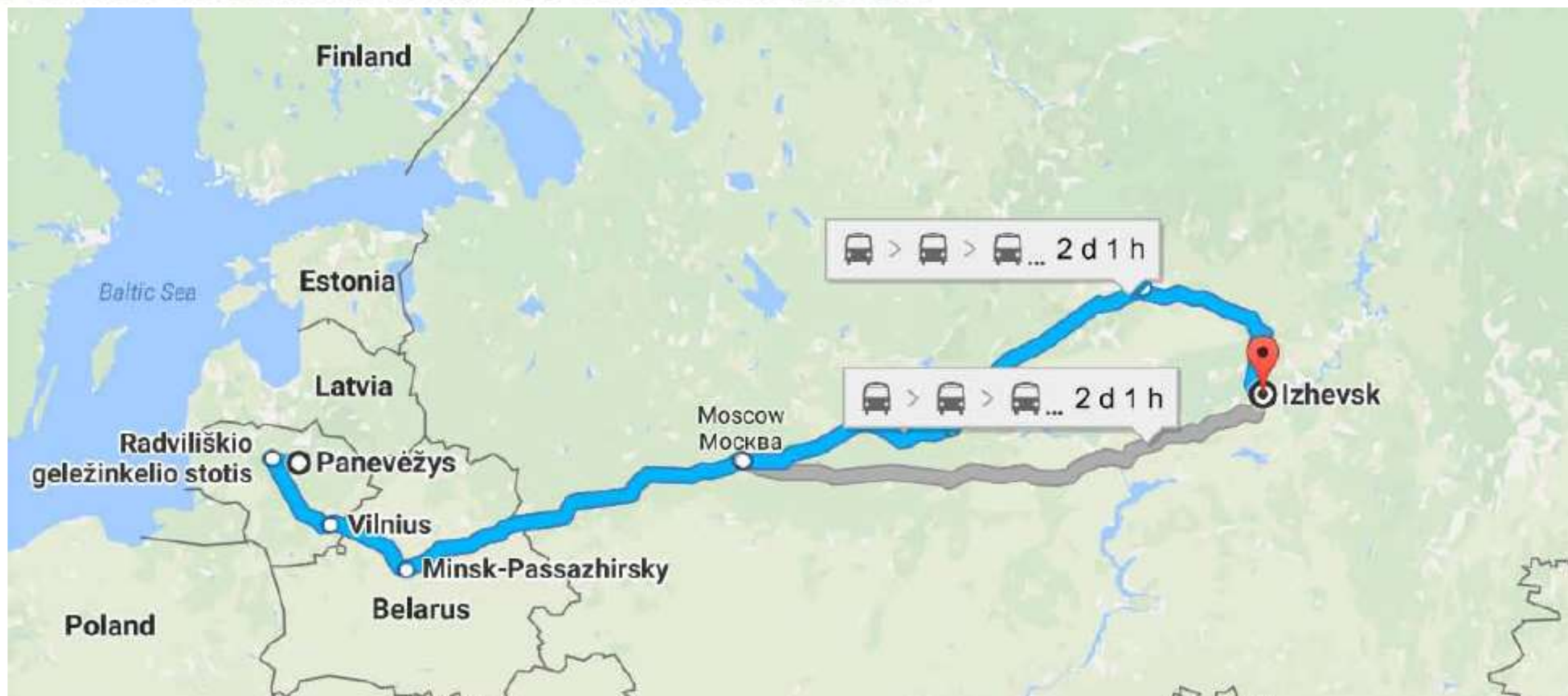
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Ilya Meyerovich Sobol (born 15 August 1926) (*Russian*: Илья Меерович Собо́ль) is a *Russian* mathematician of *Jewish Lithuanian* origin, known for his work on *Monte Carlo methods*. His research spanned several applications, from nuclear studies to *astrophysics*, and contributed significantly to the field of *sensitivity analysis*.

Prof. Sobol' s Wikipedia entry: lead section

Biography [\[edit \]](#)

Ilya Meyerovich Sobol was born on August 15, 1926, in **Panevėžys** (Lithuania). When World War II reached Lithuania his family was evacuated to **Izhevsk**.



Graduated with distinction in 1948 @ Moscow State University.
Among his teachers Alexander Kolmogorov

@ Institute of Applied Mathematics of the
USSR Academy of Sciences

@ Department of Mathematical Physics of
the Moscow Engineering Physics Institute

Contributor to the Journal of Computational
Mathematics and Mathematical Physics

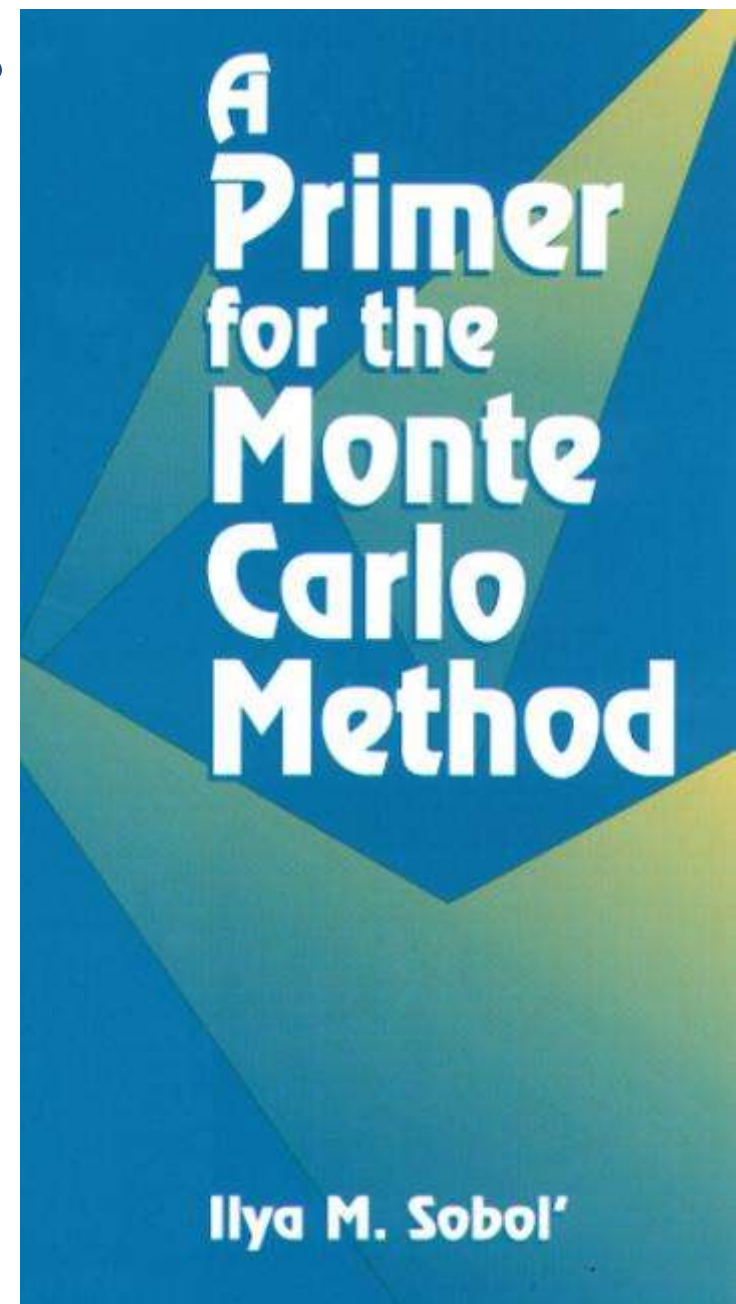


PLEIADES PUBLISHING
Distributed by Springer

Worked on the A and H bombs, on astrophysics (Sunyaev-Zel'dovich effect), multi-objective optimization & decision making, and on sensitivity analysis

Wrote a very popular book on Monte Carlo Methods

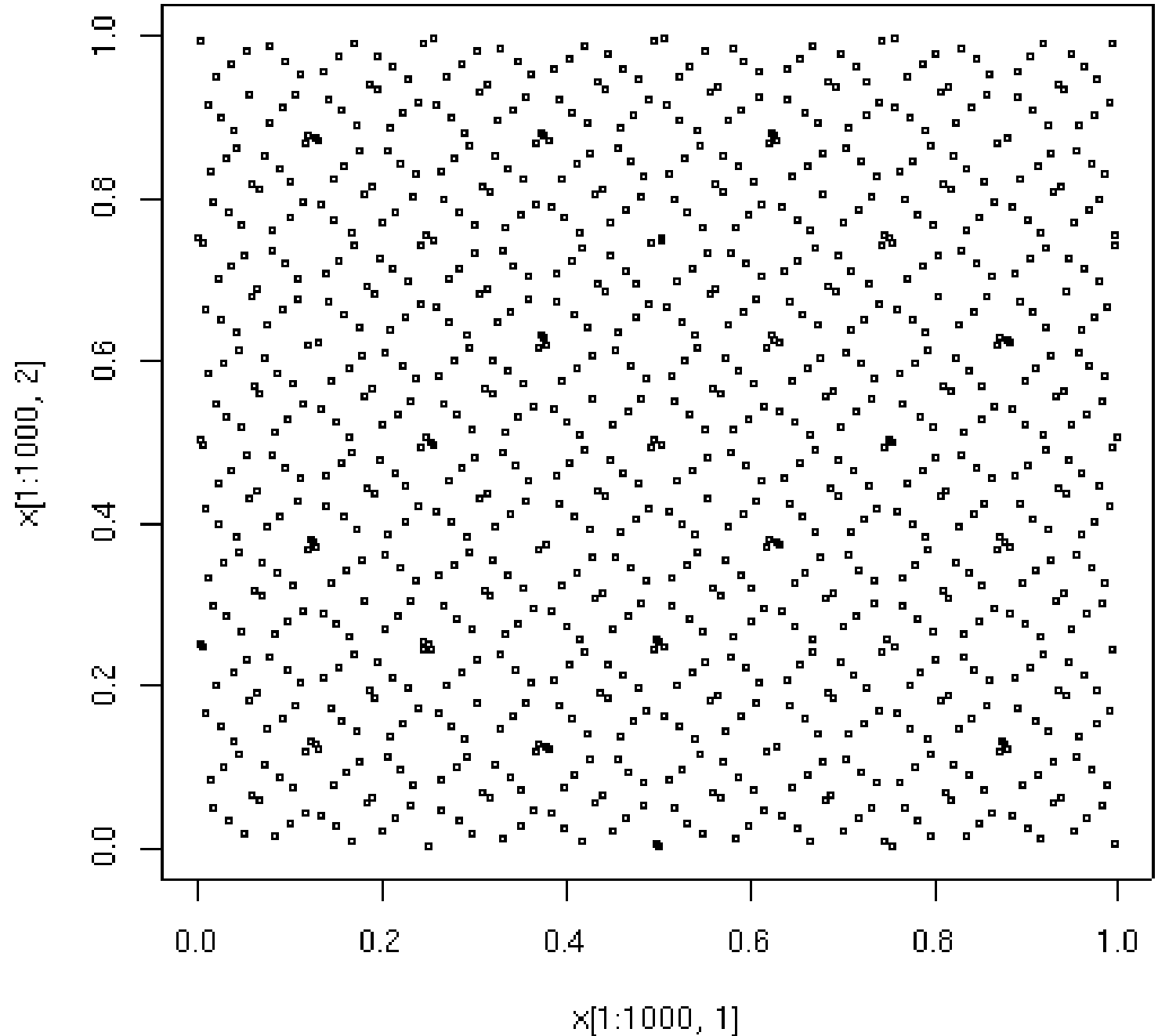
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Developed the LP_τ sequences

"Preponderance of the experimental evidence amassed to date points to Sobol' sequences as the most effective quasi-Monte Carlo method for application in financial engineering."

Paul Glasserman, Monte Carlo Methods in Financial Engineering, Springer, 2003.



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A TEST FUNCTION

= 2:

In the n -dimensional unit cube consider the function

$$f = \prod_{i=1}^n g_i(x_i),$$

where

$$g_i(x) = \frac{|4x-2| + a_i}{1+a_i}, \quad a_i \geq 0 - \text{a parameter}$$

1. For all these functions $\int_0^1 g_i(x) dx = 1$ and therefore

$$\int_0^1 \dots \int_0^1 f dx_1 \dots dx_n = 1.$$

2. The variation of the function $g_i(x)$ is

$$1 - \frac{1}{1+a_i} \leq g_i(x) \leq 1 + \frac{1}{1+a_i}.$$

Therefore, the parameter a_i can be used for specifying the